

DIVISION OF STATISTICS, UC DAVIS

Statistics 32: Basic Statistical Analysis Through Computers
(Spring 2000)

Lecture Room & Time	MWF 12:10–1:00pm at 126 Wellman
Instructor	Danh Nguyen
Contact Information	Office: Kerr Hall 270 Phone: 752–5854, e-mail: nguyen@wald.ucdavis.edu
Course Website	http://anson.ucdavis.edu/~nguyen/
Instructor Office Hours	MWF 10:00–10:50 am
TAs Office Hours	Scott Bartell (Kerr 362), OH: Tue 12:10–2:00 pm e-mail: sbartell@wald.ucdavis.edu Terran Brown (Kerr 493), OH: Thu 2:10–4:00 pm e-mail: tlbrown@wald.ucdavis.edu
Brief Course Description	Descriptive statistics. Regression and correlation analysis. Introduction to some basic probability concepts. Probability distributions: Binomial, Hypergeometric, Uniform, Normal, Exponential, Gamma, Weibull, Beta, Student's t, Chi-square, and F-distributions. Basic inferential statistics: point and confidence interval estimation, and hypothesis testing.
Prerequisites	Some knowledge of basic calculus and programming. See course catalog for details.
Reference Text	Hayter, Anthony, J., (1996). <i>Probability and Statistics for Engineers and Scientists</i> , PWS Publishing Company, Boston.
Grading Policy	The final course grade is based on 1. a midterm (20%), 2. computing assignments (20%), 3. quizzes (usually at the beginning of class) (10%), and 4. a final (50%). Homework assignments will be extra credit (10%).
Course Outline:	This statistics course is organized into three parts: 1. Descriptive Statistics , 2. Probability Distribution Theory and 3. Statistical Inference . We will generally adhere to the following course outline, however, there may be some departure from the course outline.

PART I: DESCRIPTIVE STATISTICS

Week 0 *Fri 3/31*

Introduction I: An overview of statistics. Notations. Review of some basic integral and differential calculus.

Week 1 *Mon 4/1–Fri 4/7*

Review continued. Variables, constant variables. Data.

Graphical summaries of data. Numerical summaries of data.

Distances. The “best” (closest) constant approximation (CCA) problem. The solution of the CCA problem via numerical search. The analytical solution to the CCA problem. Standard deviation as distance.

Other numerical summaries of data.

Week 2 *Mon 4/10–Fri 4/14* and **Week 3** *Mon 4/17–Fri 4/21*

Simple linear combinations of variables. Simple linear regression: the “best” (closest) simple linear combination (CSLC) problem. The solution of the CSLC problem via numerical search. The analytical solution to the CSLC problem.

The correlation coefficient. Scatter plots. Proportionate reduction in error (PRE).

Multiple linear combinations of variables. Simple linear regression: the “best” (closest) multiple linear combination (CMLC) problem. The solution of the CMLC problem via numerical search. The analytical solution to the CMLC problem.

The (multiple) coefficient of determination as a proportionate reduction in error (PRE).

PART II: PROBABILITY DISTRIBUTION THEORY

Week 4 *Mon 4/24–Fri 4/28*

Introduction II: The need for studying probability. Basic probability concepts: Sets. Intersection, union, complementation. Simple events. The sample space. Probability. Independent Events.

Law of total probability. Conditional probability. Bayes rule. Computing probabilities: counting techniques.

Week 5 *Mon 5/1–Fri 5/5*

Introduction to probability distributions and random variables. Probability distributions as models. Expectations of random variables.

Discrete distributions: Binomial, Hypergeometric and discretized uniform family of distributions. “Heights” as probabilities.

Midterm *Friday 5/5*

Week 6 *Mon 5/8–Fri 5/12*

Continuous distributions: Uniform (Rectangular), Triangular, Normal, Exponential, Gamma, Weibull, Beta, Student’s t , F -distribution, and Chi-square family of distributions. “Areas” as

probabilities.

Transformation of random variables. Linear combination of random variables. Random number generation. Simulating random variables.

PART III: INFERENCE STATISTICS

Week 7 Mon 5/15–Fri 5/19

Introduction III: The “bridge” between probability and statistics. Sampling. Introduction to sampling distributions.

The Central Limit Theorem (CLT). Normal approximation of discrete probabilities.

Point estimation.

Week 8 Mon 5/22–Fri 5/26 and Week 9 Wed 5/31–Fri 6/2

Holiday Mon 5/29

Confidence interval (CI) estimation. CI for the mean of a normal population, with variance known and unknown. CI for the variance.

Two independent normal populations. CI for variance. CI for difference of two means with variances known; with variance unknown but equal.

One Binomial population. Approximate CI for population proportion. Two independent binomial populations and CI for the difference of two population proportions. CI for the intercept and slope in SLR.

Week 10 Mon 6/5–Wed 6/7

Introduction to test of hypotheses. Tests for population mean(s) and proportion(s). Test in SLR. Test for correlation.

Final Exam Date, Time

Calendar for Spring 2000

March							April						
Sun	Mon	Tue	Wed	Thu	Fri	Sat	Sun	Mon	Tue	Wed	Thu	Fri	Sat
			1	2	3	4							1
5	6	7	8	9	10	11	2	3	4	5	6	7	8
12	13	14	15	16	17	18	9	10	11	12	13	14	15
19	20	21	22	23	24	25	16	17	18	19	20	21	22
26	27	28	29	30	31*		23	24	25	26	27	28	29
							30						
May							June						
Sun	Mon	Tue	Wed	Thu	Fri	Sat	Sun	Mon	Tue	Wed	Thu	Fri	Sat
	1	2	3	4	5*	6					1	2	3
7	8	9	10	11	12	13	4	5	6	7*	8	9	10
14	15	16	17	18	19	20	11	12	13	14	15	16	17
21	22	23	24	25	26	27	18	19	20	21	22	23	24
28	29*	30	31				25	26	27	28	29	30	